

Automatic Passenger Counting System in S-trains – how?

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AGENDA



1. Why do we count passengers?
2. Data collection: How do we count?
3. Data handling: How are data handled and processed?
4. Data use: Two examples

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Why do we count passengers?

Why count passengers?



- Development of number of journeys
- Determining travel patterns
- Estimation of loss of journeys due to incidents
- Distribution of rolling stock
- Contractual obligations to the ministry of transportation
- Revenue sharing in the capital area
- Budgets and accounting
- ...

2

Data collection: How do we count?

S-train chart



- 135 trains
- 86 stations
- 8 routes



The counting system APS



- APS: **A**utomatic **P**assenger counting **S**ystem
- The system applies data from a number of different sources of varying quality
- Output is a modelled number of journeys and their travel pattern

Input data – multivariate?



Weights

- All litra units are weighed after departure from a station, when the velocity reaches 5 km/h
- The weighing cell is part of the braking system
- The weighing cell has an accuracy that makes it possible to compute the number of journeys

IR countings

- Installed in 16 litra units (12% of all litra units)
- IR counting bars in all door ways
- Register all passengers boarding and alighting the train

Manual countings

- Converting weights to passengers
- The weighings include luggage, animals, clothes etc.
- Few of the departures are counted manually, but are essential for converting weights to a veritable number of passengers
- In case of extensive replcement busses, the number of passengers are counted manually here as well

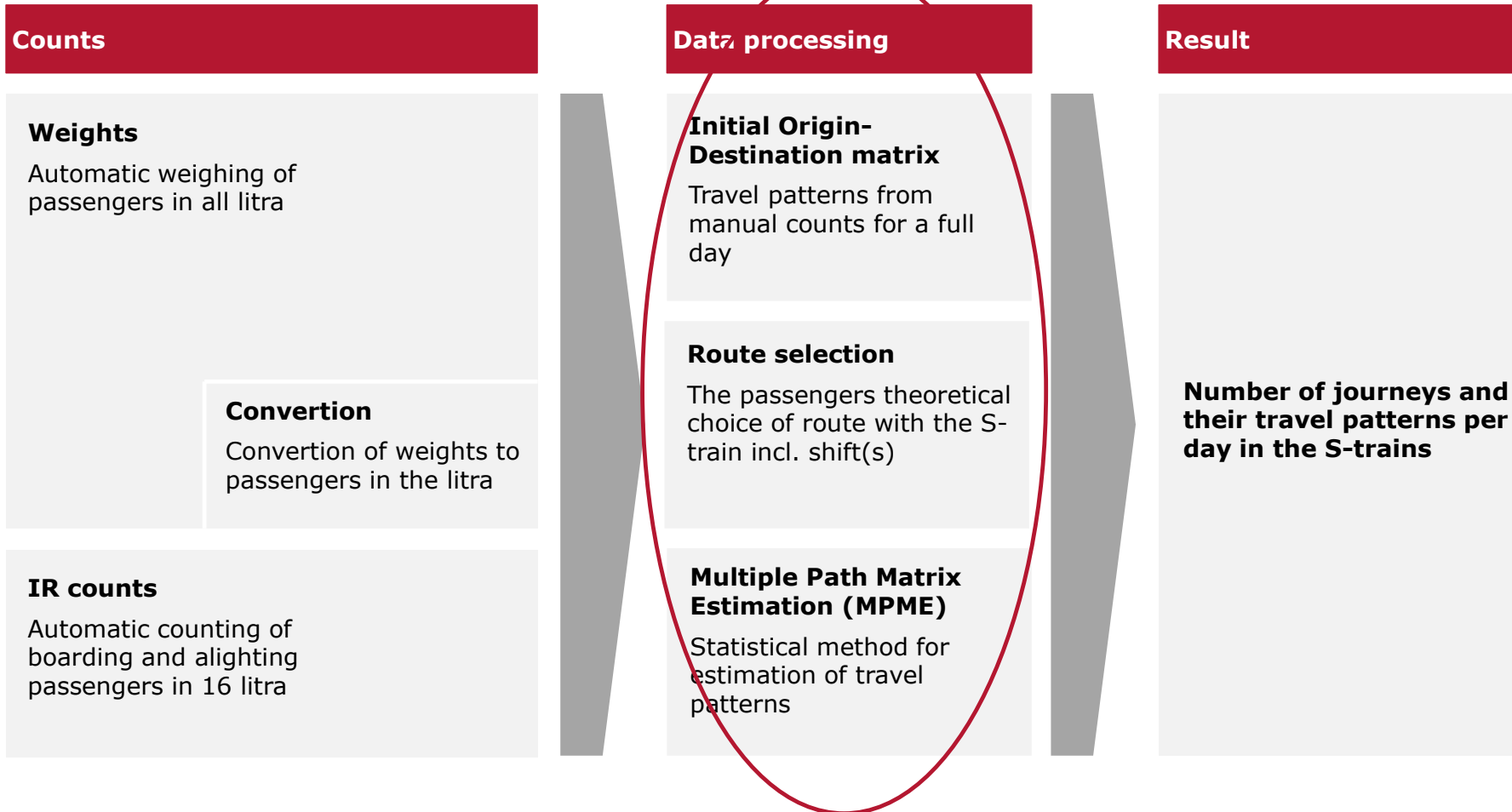
Additional data

- Origin-Destination (OD)-matrix – basic travel pattern
- Planned and actual train schedule (incl. replacements busses)
- Rolling stock schedule – which litra units run on which train numbers
- Litra unit coupling – which litra units are coupled to each other
- Positioning – where are the trains located

3

Data handling: How are data handled and processed?

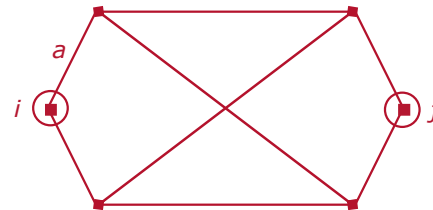
The overall data process



Data processing



- The *route selection* model is applied on the *initial OD matrix*, which is spread out on the actual time table of the day
 - Determines which travel route the passengers are most likely to choose
 - Initial result: A modelled number of passengers between all stations
- Then each element is adjusted using the weights and counts – the *MPME adjustment*



- The MPME adjustment can be expressed as:

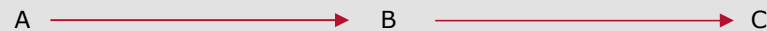
$$T_{(E)ija} = \frac{V_a}{T_a} \cdot T_{ij}$$

- $T_{(E)ija}$ is the expected number of passengers from stations i to j on edge a
- V_a is the weight on edge a
- T_a is the modelled number of passengers on edge a
- T_{ij} is the initial number of passengers from stations i to j

Data processing – a simple example



Initial OD matrix:



From stat -> to stat	Traffic
A -> B	13
A -> C	42
B -> C	10

MPME adjustment:

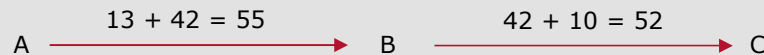
$$T_{(E)ij} = \frac{1}{N} \sum_{a=1}^N \frac{V_a}{T_a} \cdot T_{ij}$$

$$T_{A \rightarrow B} = \frac{42}{55} \cdot 13 = 9,93 \cong 10$$

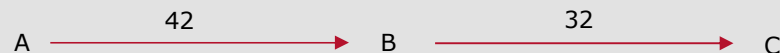
$$T_{A \rightarrow C} = \frac{1}{2} \cdot \left(\frac{42}{55} \cdot 42 + \frac{32}{52} \cdot 42 \right) = 28,96 \cong 29$$

$$T_{B \rightarrow C} = \frac{32}{52} \cdot 10 = 6,15 \cong 6$$

From the initial OD matrix and the route selection – only one train:



Weights from the train converted to the number of passengers:



Results:

How many passengers are sitting in the train between stations?

A and B: $10 + 29 = \mathbf{39}$

B and C: $29 + 6 = \mathbf{35}$

Total number of passengers?

All "between stations" are summed: $10 + 29 + 6 = \mathbf{45}$

About the MPME method



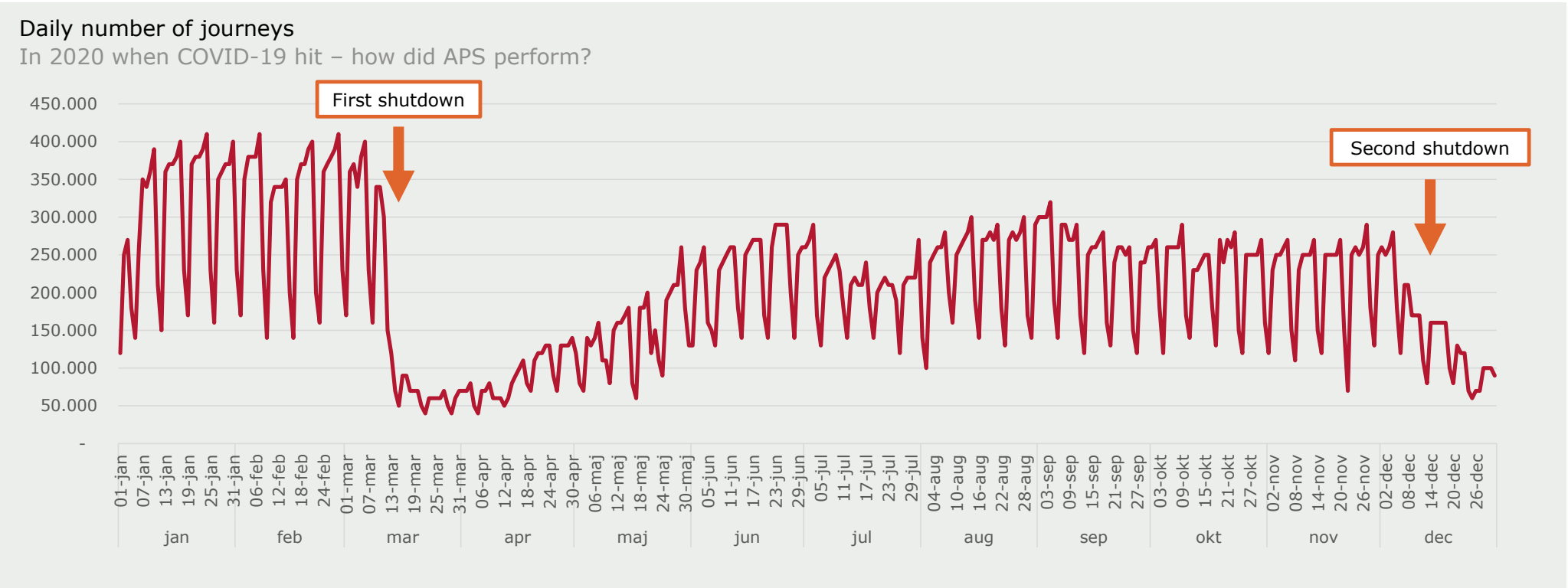
- The idea is to adjust the number of passengers between all pairs of stations (ODs)
 - Approximately 120.000 OD combinations in the initial OD matrix
- The adjustment is performed based on weights and IR countings
 - On a single day the S-trains are weighed app. 25.000 times
- The solution of the method approaches the minimized squared deviation between the measured and modelled traffic:

$$\min \left[\sum_a \frac{(T_a - V_a)^2}{V_a} \right]$$

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Data use: What can we use data for?

An example

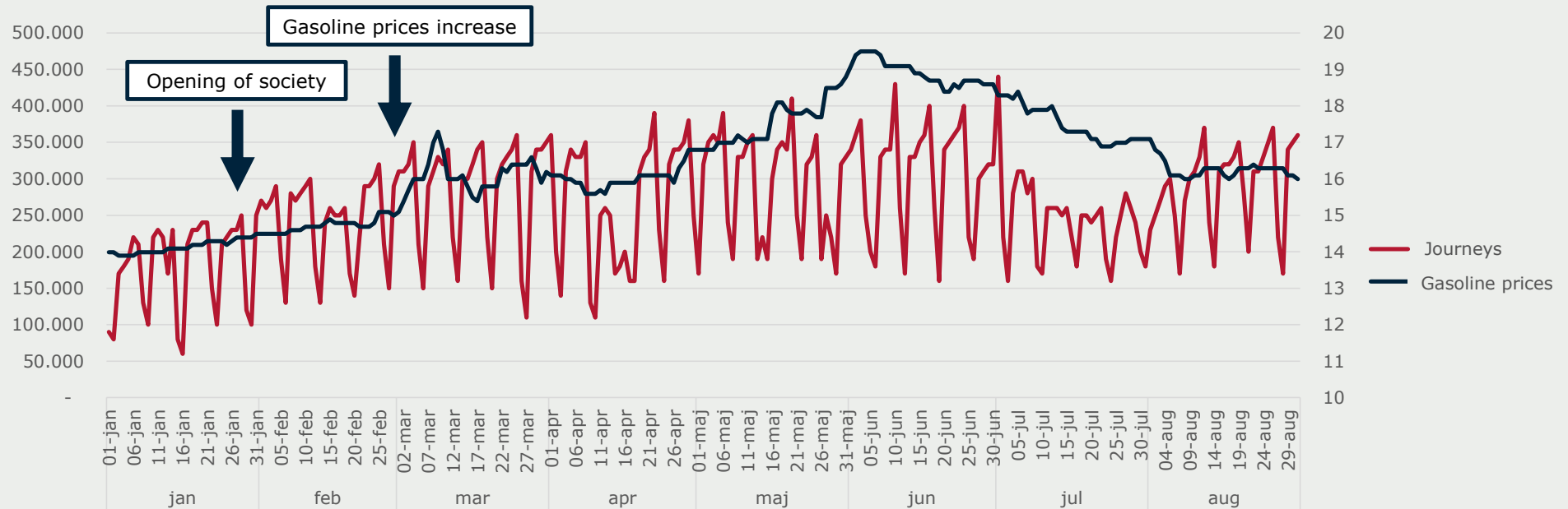


An example – watch out!



Daily number of journeys vs. gasoline prices

In 2022 people came back to work and the gasoline prices exploded



Gasoline prices found on [Benzinpriser udvikling](#) → [Se prisudviklingen siden 1993 | OK](#)

Aspects to take into account



- Infrastructural work
- Gasoline prices
- Restrictions during COVID-19 – safe distances, use of mouth guard in public transport
- Strike of front personnel
- Opening of the Metro City Ring
- Increased possibilities of working from home
- Tour de France Grand Départ au Copenhague
- IT breakdown
- ...

